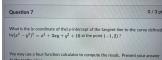


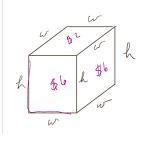
Siekle de you find this by implied of. 1 = fix)



## Ouestion 3

A closed box with a square base, of dimensions  $w \times w$  feet and height of h feet, is to have a total volume of 9 cubic feet. The material for this box costs \$2 per square foot for the top and bottom and \$6 per square foot for the sides.

What is the minimal cost in dollars of such a box?



$$C = +\omega^{2} + 24\underline{\omega} \left(\frac{7}{\omega^{2}}\right) = 4\omega^{2} + \frac{216}{\omega}$$

$$2('(\omega)) = 8\omega - \frac{216}{\omega^{2}} = 0$$

$$8\omega - \frac{24.9}{\omega^{2}} = 0$$

$$\omega \neq 0$$

$$8\omega^{3} - 24.9 = 0$$

$$\omega^{3} = \frac{24.9}{8} = \frac{3.8.9}{8} = 27$$

$$w^{3} = \frac{24 \cdot 7}{8} = \frac{3 \cdot 8 \cdot 7}{8} = 27$$

$$W = 3\sqrt{17} = 3 \qquad h = \frac{9}{4} = 1 \qquad C(w,h) = 4 \cdot 9 + 24 \cdot 3 \cdot 1 = 36 + 271 = 106$$

(1)  $\int (x) = (6x^2 - 6x - 36) = 0$ 

What is the absolute maximal value of the function  $f(x) = 2x^3 - 3x^2 - 36x + 4$  over the interval (-3,0]? The functions x(t) and y(t) satisfy the following equation.

 $2x^2 + 2xy + y^2 = 5$ 

Suppose that we know that x(0)=-2 , x(7)=2 ,  $rac{dx}{dt}(0)=4$  .  $rac{dx}{dt}(7) = -5$ , y(0) = 3, and y(7) = -1.

What is  $\frac{dy}{dt}(7)$ ? nplicit differenationa

Let  $f(x) = x^5 - 3x + 1$ . Which of the following is an approximate solution to f(x)=0 obtained using the method of linear approximation with an initial guess of x=0?

ear approximation What is the (y-coordinate of the) y-intercept of the tangent line to the curve defined by  $(x^2+y^2)^2=x^2+3xy+y^2+26$  at the point (-1,2)?

You may use a four-function calculator to compute the result. Present your answer to the tenths place.

§"(x) < 0 if X ∈ (-3,0] by 2nd down has => (min to mex @ X == )

$$\int (-3) = \int (0) = 4$$

f(-2)

What is the (y-coordinate of the) y-intercept of the tangent line to the curve defined by  $(x^2+y^2)^2=x^2+3xy+y^2+26$  at the point (-1,2)?

You may use a four-function calculator to compute the result. Present your answer to the tenths place.

At what value of x does the graph of  $y=f(x)=x^9e^{-\frac{1}{2}x^2}$  for x>0 have a relative maximum?

maximization